

Teaching Innovations based on Social Science Research

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Talk at the Harvard Board of Overseers Meeting, 2/5/2012

The Context

What is Harvard's Biggest Threat?

Social Science Principles for Teaching Innovation

- 1 Social connections motivate

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- 2 **Teaching teaches the teacher!** (Help students teach each other)
- 3 **Instant feedback improves learning**

Collaborative Video Annotation

Simulation

0:10:45 / 0:11:41 **Let's Make a Deal**

On January 4, 2012 12:47 PM, Gary King wrote:

Let's Make a Deal

In Let's Make a Deal, Monte Hall offers what is behind one of three doors. Behind a random door is a car; behind the other two are goats. You choose one door at random. Monte peeks behind the other two doors and opens the one (or one of the two) with the goat. He asks whether you'd like to switch your door with the other door that hasn't been opened yet. Should you switch?

```
sims <- 1000
WinNoSwitch <- 0
WinSwitch <- 0
doors <- c(1, 2, 3)
for (i in 1:sims) {
  WinDoor <- sample(doors, 1)
  choice <- sample(doors, 1)
  if (WinDoor == choice) # no switch
    WinNoSwitch <- WinNoSwitch + 1
  doorsLeft <- doors[doors != choice] # switch
  if (any(doorsLeft == WinDoor))
    WinSwitch <- WinSwitch + 1
}
cat("Prob(Car | no switch)=", WinNoSwitch/sims, "\n")
cat("Prob(Car | switch)=", WinSwitch/sims, "\n")
```

Gary King (Harvard) The Basics 31 / 63

[Comment](#) [Hide Comments \(2\)](#) [Delete](#)

On January 29, 2012 5:24 PM Larisa Larionova wrote:
Yes, there is. Here <http://www.stayorswitch.com/explanation.php> you'll find 4 different approaches to make it intuitive. You can skip the intro and choose one of them. Personally I found the explanation with 100 doors the most intuitive.
[Edit](#) [Delete](#)

On January 29, 2012 3:32 AM Steven Justin Hoffman wrote:
Just wondering, is there an intuitive explanation for the simulation results?
[Edit](#) [Delete](#)

Collaborative Text Annotation

22 2 Conceptualizing uncertainty and inference

distinguish between these two cases, I refer to the hypothetical parameter value as $\hat{\theta}$ and the single unobserved true value as θ . In the next chapter, I will introduce $\hat{\theta}$ as a point estimator for θ , based on the maximum of the likelihood with respect to $\hat{\theta}$. $\hat{\theta}$ is a number in a single experiment, but a random variable across hypothetical experiments.

The *likelihood* that a hypothetical model (summarized by the hypothetical parameter value $\hat{\theta}$) produced the data we observe, given \mathcal{M}^* , is denoted $L(\hat{\theta}|y, \mathcal{M}^*)$, where \mathcal{M}^* may again be suppressed since it appears in all subsequent expressions. The *likelihood axiom* then defines this concept as follows:

$$\begin{aligned} L(\hat{\theta}|y, \mathcal{M}^*) &\equiv L(\hat{\theta}|y) & (2.5) \\ &= k(y)\Pr(y|\hat{\theta}) \\ &\propto \Pr(y|\hat{\theta}). \end{aligned}$$

In the second line of this equation, $k(y)$ is an unknown function of the data; since it is not a function of $\hat{\theta}$, it is treated as an unknown positive constant. In the third line, " \propto " means "is proportional to." The third line is only a more convenient way of writing the second without the constant. For a given set of observed data, $k(y)$ remains the same over all possible hypothetical values of $\hat{\theta}$. However, $k(y)$ is a function of y and therefore may change as y changes. The likelihood $L(\hat{\theta}|y)$ is similar to the concept of inverse probability in that it permits one to measure and compare the uncertainty one has about alternative hypothetical values of $\hat{\theta}$. However, the unknown value $k(y)$ ensures that likelihood is a relative rather than an absolute measure of uncertainty. This likelihood axiom is but one way to make the measure explicitly relative. Indeed, one could use any monotonic function of $\Pr(y|\hat{\theta})$.⁵ The choice represented in Equation (2.5) is arbitrary, just as is the choice of making the scale of probability range between 0 and 1. The advantage of likelihood is that it can be calculated from a traditional probability, whereas inverse probability cannot be calculated in any way.

If the data are continuous rather than discrete, the likelihood is calculated in the same way, except that the underlying probability distribution is now a density. Hence, a more general way to write the formula is as follows:

The screenshot shows a document on the left and a chat log on the right. A red line connects a highlighted sentence in the document to a specific chat message.

Document Text:

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Chat Log:

- 1 thread on page 2
- 3 I'm trying to understand what "under essentially the same conditions" means. When we say
- 1 thread on page 3
- 3 If the meaning of "model" is the same here as it was in the first chapter, this appears to
- 3 threads on page 4
- 1 According to an earlier statement in this book, that exact probability should be known to
- 1 Likelihood is a measure of relative uncertainty, but relative to what? If it is the relat
- 1 I'm a bit uncomfortable about this apparent interchangeability of "M" as a model and "M" a
- 2 threads on page 6
- 1 Why is this always our null hypothesis then? Does it make sense to have more sophisticated
- 2 how was this equation derived?
- 1 thread on page 7
- 1 Yes! I am always answering this question while teaching stat to others.
- 1 thread on page 8
- 1 I don't see why it's necessarily impossible. For example, you could know that in the past
- 4 threads on page 9
- 1 Shouldn't it be "is NOT a number"?
- 1 I'm not really clear on what k(y) "is", besides some unknowable constant. Is it Pr(theta
- 1 I have a conflict between my understanding (or misunderstanding...) of likelihood inferen
- 1 What if it's not monotonic?
- Shouldn't it be "is NOT a number"? Larisa Larionova - 28 Jan, 08:27PM Reply Ask
- I think so. Tracey Shollenberger - 29 Jan, 01:33AM Reply Ask
- It's a number, because once you've run the single experiment, it just "is" whatever value came from that experiment. It's no longer a variable, it's a constant thing that you know - a number. Jesse Heitner - 29 Jan, 03:08AM Reply Ask
- Maybe my English deceives me, but it seems like, it should be either:
"is NOT a number, but a variable" or
"is a number, but NOT a variable".
So, do you mean, Jesse, that it's the latter? Larisa Larionova - 29 Jan, 11:24AM Reply Ask
- Thanks for your post, Jesse. The structure of the sentence confused me, too, Larisa. I now think it means that there are two cases - In the case of a single experiment, it is a number. In the case of multiple experiments (not sure why they're "hypothetical"), it's not a single number, but a random variable. Tracey Shollenberger - 29 Jan, 02:11PM Reply Ask
- I think they're hypothetical because you don't necessarily run them. You just think of theta_hat as something that could vary if you ran your experiment several times. Eg. in a linear regression, you get only one estimate of beta, your effect, but you also use statistical theory to calculate its standard error, which measures the hypothetical variation it would show if you ran the regression on several samples from the same population. Anand Agrawal - 28 Jan, 06:36PM Reply Ask

Gov2001 Email Search: March 2003 Archives

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- [[gov2001-l](#)] [2\(a\)](#) *Traci Burch*
 - [[gov2001-l](#)] [2\(a\)](#) *Jennifer_Fitzgerald*

[[gov2001-l](#)] likelihood vs loglikelihood

Phillip Y. Lipsy [lipsy at fas.harvard.edu](#)

Wed Mar 5 00:37:25 EST 2003

For 2b, if we use the product term of the negative binomial distribution to estimate the likelihood rather than the loglikelihood, am I right to assume that we should get the same result for the maximum point? i.e. we use loglikelihood instead of likelihood to get rid of the product term, but our results should not change?

Thanks,
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[[gov2001-l](#)] likelihood vs loglikelihood

Phillip Y. Lipsy [lipscy at fas.harvard.edu](mailto:lipscy@fas.harvard.edu)

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What's left to do in class?

What's left to do in class? Focus on what they don't know!

- (Intensely participatory) discussions on topics they think they're confused about

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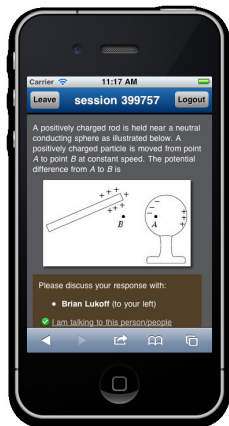
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- Lecture on topics they are confused about

What's left to do in class? Focus on what they don't know!

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- Lecture on topics they are confused about
- A version of “peer instruction”

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Assume the model below:

$$Y_i \sim N(\mu, \sigma_i^2)$$

$$\sigma_i^2 = x_i \beta$$

This model is useful for:

- A. Nothing, the model is internally inconsistent.
- B. To study whether as unemployment increases, agreement about whether the president is doing a good job goes down.
- C. To study how predictable Y_i is.
- D. To test if the variance is non-negative.
- E. To study whether female unemployment is higher than male unemployment.

Round 1

49 responses

A. 12%

B. 36%

C. 51%

D. 10%

E. 10%

Round 2

49 responses

A. 12%

B. 48%

C. 83%

D. 2%

E. 8%

✓ 14 get it now
✗ 0 still don't get it

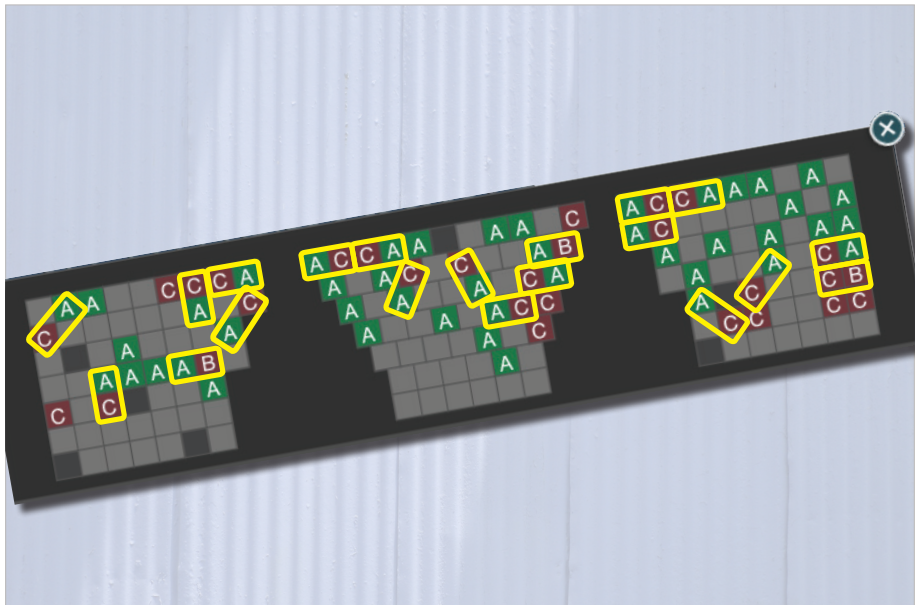
Learning Catalytics

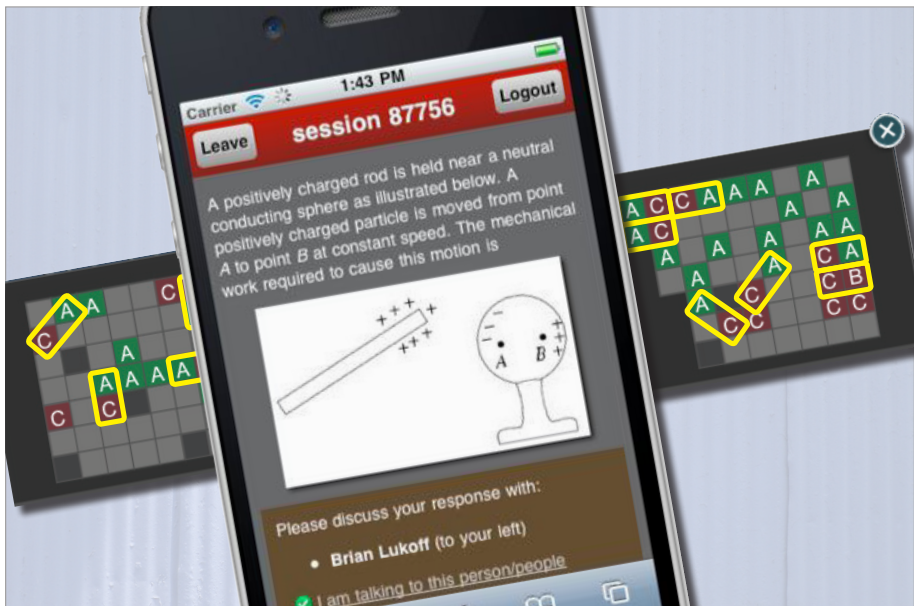
The image shows three 10x10 grids for a Learning Catalytics activity. Each grid contains letters A and C in various positions, representing a word search or pattern recognition task. The letters are colored green or red. A close button (X) is in the top right corner.

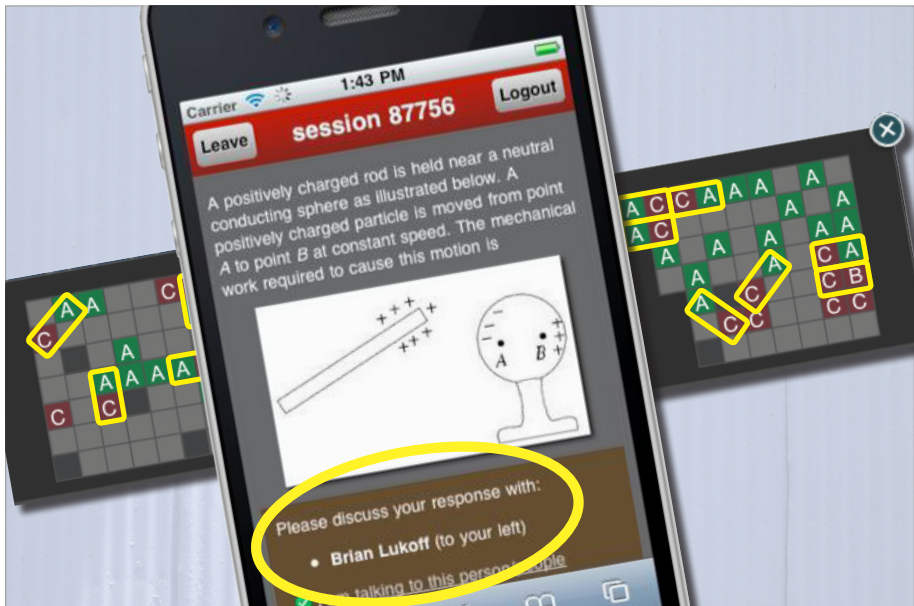
A	A			C	C	C	A		
C							A		C
			A					A	
		A	A	A	A	B			
C	C						A		

A	C	C	A	A			A	A	C
A	A	C		C			A	B	
A	A		A		A	C	A		
A			A		A	C	C		
						A	C		
							A		

A	C	C	A	A	A		A		
A	C						A		A
A		A		A			A	A	A
	A			A			C	A	
	A			C				C	B
		C	C					C	C







Social Science Principles

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- 2 Teaching teaches the teacher

Social Science Principles

- 1 Social connections motivate
- 2 Teaching teaches the teacher
- 3 Instant feedback improves learning

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- 2 Teaching teaches the teacher
- 3 Instant feedback improves learning
- 4 The advantages of large scale measurement and analysis